

## MAC1140 SEC29 HW 10-05-2007 4.6

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Due: 10-08-2007

Full Name: \_\_\_\_\_ Sec#: \_\_\_\_\_ Extra Credit Attempted? \_\_\_\_\_

1.

[4.6.1cPT]What is the amount in 5 years of \$6,000 invested at 10.6% compounded continuously?

$6,000e^{0.53}$

$\frac{6,000}{e^{0.53}}$

$6,000e^{5.3}$

$\frac{6,000}{e^{5.3}}$

2.

[4.6.1dPT]A note will pay \$5,689 at maturity in 8 years. How much is the note worth now, assuming continuous compounding at 3.9%?

$\frac{5,689}{e^{3.12}}$

$5,689e^{3.12}$

$5,689e^{0.312}$

$\frac{5,689}{e^{0.312}}$

3.

[4.6.2aPT]Find the effective rate of interest for 12% compounded quarterly.

$(1 + \frac{0.12}{4})^4$

$(1 + 0.12)^{12}$

$(1 + 0.12)^{12} - 1$

$(1 + \frac{0.12}{4})^4 - 1$

4.

[4.6.2bPT] How many years will it take for an investment of \$30,000 to grow to \$70,000? Assume a rate of interest of 11% compounded continuously.

- $\frac{\ln(\frac{7}{3})}{0.11}$
- $\frac{\ln(\frac{3}{7})}{0.11}$
- $\frac{\ln 7}{0.11 \ln 3}$
- $\frac{\ln(\frac{7}{3})}{\ln(1+0.11)}$

5.

[4.6.2dPT] What interest rate, compounded continuously, will take an initial investment of \$10,000 to \$35,000 in 4 years?

- $\frac{\ln \frac{10}{35}}{4}$
- $\frac{\ln \frac{35}{10}}{4}$
- $\frac{\ln 35}{4 \ln 10}$
- $\frac{\ln 35}{40}$

6.

[4.7.1aPT] The size,  $P$ , of a certain insect population at time  $t$  (in days) obeys the function  $P(t) = 600e^{0.06t}$ . After how many days will the population reach 3600?

- $\frac{\ln 6}{0.12}$
- $\frac{\ln 6}{0.06}$
- $\frac{\ln 6}{0.01}$
- $\frac{\ln \frac{1}{6}}{0.06}$

7.

[4.7.1bPT] A culture of  $N$  bacteria obeys the law of uninhibited growth,  $N(t) = N_0e^{kt}$ . If 700 bacteria are present initially and there are 2100 after 1 hour, how many will be present in the culture after 3 hours?

- $2100e^{3\ln 3}$
- $2100e^{3\ln \frac{1}{3}}$
- $700e^{3\ln \frac{1}{3}}$
- $700e^{3\ln 3}$

8.

[4.7.1cPT] Iodine I-31 is a radioactive material that decays according to  $A(t) = A_0e^{-0.053t}$ , where  $A_0$  is the initial amount present and  $A(t)$  is the amount present at time  $t$  (in days). What is the half-life of iodine I-31?

- $\frac{1-\ln 2}{0.053}$
- $\frac{1}{0.053 \ln \frac{1}{2}}$
- $\frac{\ln \frac{1}{2}}{0.053}$
- $\frac{\ln 2}{0.053}$

9.

[4.7.2aPT] Find the exponential function,  $N(t) = N_0e^{kt}$ , that satisfies the conditions  $N(0) = 14$ ,  $N(7) = 2$ .

- $N(t) = 2e^{(\frac{\ln 14}{7})t}$
- $N(t) = 14e^{(\frac{\ln \frac{1}{2}}{2})t}$
- $N(t) = 14e^{(\frac{\ln 7}{7})t}$
- $N(t) = 14e^{(\frac{\ln \frac{1}{7}}{7})t}$