1. A fully continuous whole life insurance of 3000 issued to \( (x) \) has an annual premium rate of 90 that’s payable for a maximum of 20 years. Using \( CF(\mu = .02, \delta = .04) \) actuarial assumptions, determine the reserve at time 20.

2. A fully discrete 10-year endowment insurance of 10000 with annual premiums of 700 is issued to \( (50) \). You are given:

   (i) \( q_{58} = 0.01 \)

   (ii) \( d = 0.10 \)

Determine \( Var(\, _8L) \).
3. Each of 100 independent lives, each age 40, purchases a fully discrete whole life insurance of 1000 with annual premiums of 12. Using ILT actuarial assumptions and the normal approximation, determine the probability the insurer’s aggregate loss at issue is positive.

4. For a fully discrete whole life insurance of 1000 issued to (35) that has annual premiums of 9, use ILT actuarial assumptions to determine the reserve at time 10.

5. For a fully discrete whole life insurance of 1000 issued to (35) that has annual premiums of 9, use ILT actuarial assumptions to determine $\text{Var}(10L)$. 