

$$EPV(B \& E) = 15 + \ddot{a}_{50} + 1050 A_{50} \stackrel{ILT}{=} 289.7693$$

$$EPV(P) = \pi^{\ddot{g}} \cdot \ddot{a}_{50} = 13.2668 \cdot \pi^{\ddot{g}}$$

$$(a) \quad \therefore \pi^{\ddot{g}} = \frac{289.7693}{13.2668} = 21.84$$

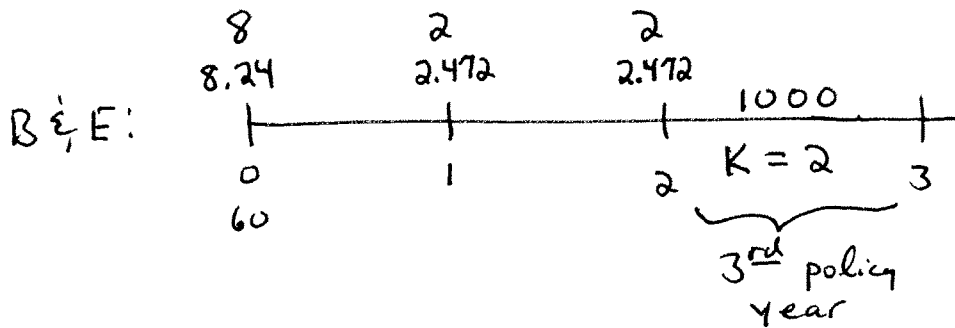
$$\pi^{\wedge} = \frac{1000 A_{50}}{\ddot{a}_{50}} = 18.77$$

$$(b) \quad \therefore \pi^e = \pi^{\ddot{g}} - \pi^{\wedge} = 3.07$$

$$2 / \text{Test 9}) \quad \pi = 41.20$$

$$.2\pi = 8.24$$

$$.06\pi = 2.472$$



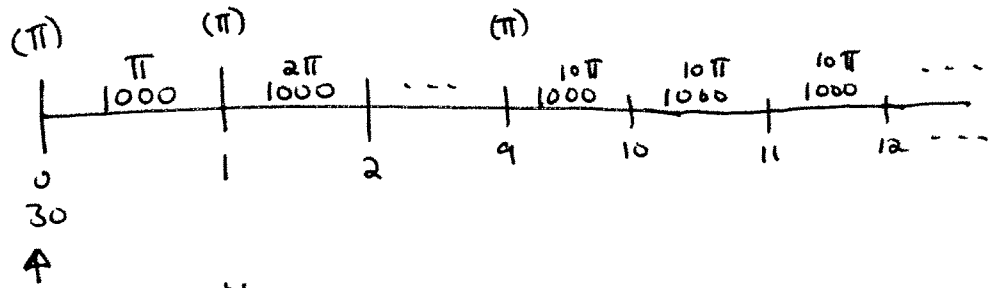
$$({}_0L | K=2) = [PV(B \& E | K=2)] - (PV(P | K=2))$$

$$= [1000v^3 + 16.24 + 4.472v + 4.472v^2]$$

$$- (41.20 + 41.20v + 41.20v^2)$$

$$\therefore ({}_0L | K=2) \stackrel{v = \frac{1}{1.05}}{=} 770.59$$

3/ Test 9)



$$EPV(P) = \pi \cdot \ddot{a}_{30|\overline{10}|}$$

$$EPV(B) = 1000 A_{30} + \pi \cdot (IA)_{30|\overline{10}|} + 10 \pi \cdot {}_{10|} A_{30}$$

$$\therefore \pi = \frac{1000 A_{30}}{\ddot{a}_{30|\overline{10}|} - (IA)_{30|\overline{10}|} - 10 \cdot {}_{10|} A_{30}} = 15.02$$

$$4 / \text{Test 9} \quad S = \sum_{i=1}^{10000} ({}_0L)_i$$

?  $\pi$  such that  $\Pr(S > 0) = .01$

$$\Pr(S > 0) = \Pr\left(\frac{S - E[S]}{\sqrt{\text{Var}(S)}} > \frac{0 - E[S]}{\sqrt{\text{Var}(S)}}\right) = .01$$

$$\Rightarrow \frac{-E[S]}{\sqrt{\text{Var}(S)}} = 2.326 \Rightarrow -E[S] = 2.326 \sqrt{\text{Var}(S)}$$

$$E[S] = 10000 \cdot E[{}_0L]$$

$$\text{Var}(S) = 10000 \cdot \text{Var}({}_0L)$$

$${}_0L = 100000 Z_{60} - \pi \ddot{Y}_{60} \Rightarrow E[{}_0L] = 100000 A_{60} - \pi \cdot \ddot{a}_{60}$$

For Variance  $\left\{ \begin{array}{l} \Rightarrow E[{}_0L] \stackrel{\text{ILT}}{=} 36913 - 11.1454\pi \end{array} \right.$

$${}_0L = 100000 Z_{60} - \pi \left( \frac{1 - Z_{60}}{d} \right) = \left( 100000 + \frac{\pi}{d} \right) Z_{60} - \frac{\pi}{d}$$

$$\Rightarrow \text{Var}({}_0L) = \left( 100000 + \frac{\pi}{d} \right)^2 \left[ {}^2A_{60} - (A_{60})^2 \right]$$

$$\therefore -E[S] = -10000 (36913 - 11.1454\pi) = 10000 (11.1454\pi - 36913)$$

$$\sqrt{\text{Var}(S)} = \sqrt{10000} \cdot \sqrt{\text{Var}({}_0L)} = 100 \cdot \left( 100000 + \frac{\pi}{d} \right) \cdot \sqrt{{}^2A_{60} - (A_{60})^2}$$

$$\therefore -E[S] = 2.326 \sqrt{\text{Var}(S)}$$

$$\Rightarrow 10000 (11.1454\pi - 36913) \stackrel{\text{ILT}}{=} 2.326 \cdot 100 \cdot \left( 100000 + \frac{\pi}{d} \right) \cdot \sqrt{.0411\dots}$$

$$d = \frac{.06}{1.06} \Rightarrow \pi = 3379.56$$